

Science with large imaging surveys

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Science from LSS surveys: A case study of SDSS quasars



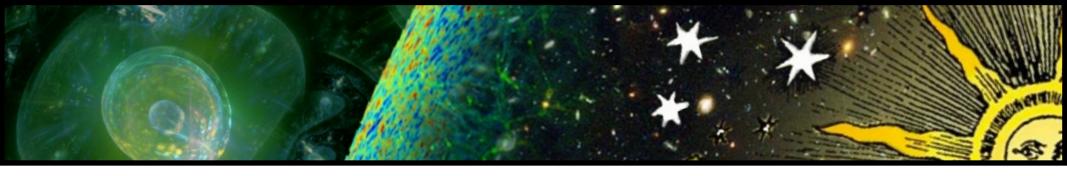
Boris Leistedt (UCL)



Nina Roth (UCL)

with
Daniel Mortlock (Imperial)
Aurelien Benoit-Levy (UCL)
Andrew Pontzen (UCL)

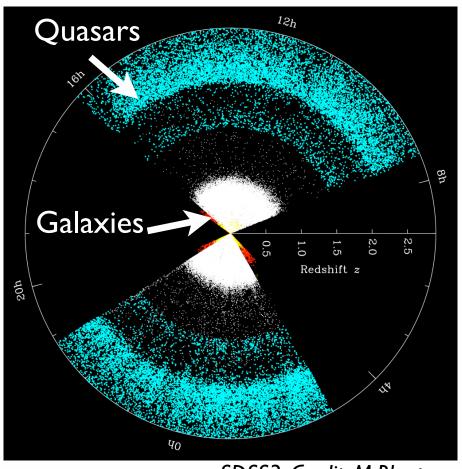
arXiv:1306.0005 (MNRAS), 1404.6530, 1405.4315



Overview

- Case study: primordial NG from quasar surveys
- Data analysis considerations
- Theory considerations
- Results and outlook

Cosmology with quasar surveys



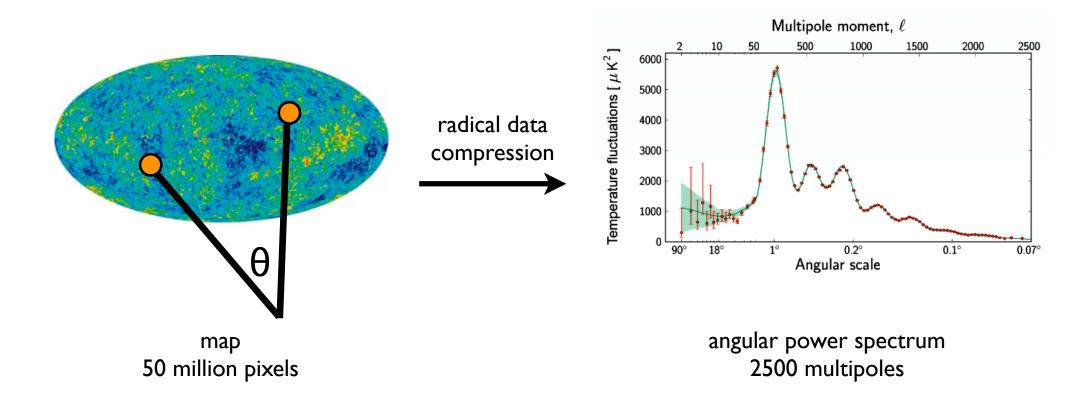
SDSS3; Credit: M.Blanton

- Quasars: bright, highly biased tracers; span large cosmological volumes
- Probe super horizon / large scale modes: ISW, PNG,...

Non-Gaussianity: maximising physical information

Pre-Planck:

constraints on inflation come mainly from **2-pt correlations**. Only captures all information if data are completely **Gaussian**.



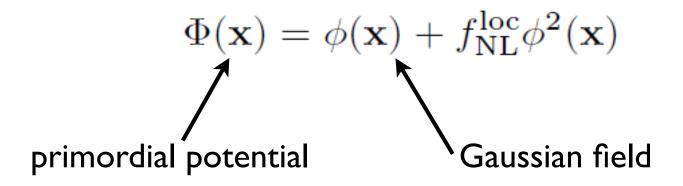
Post-Planck:

signals giving **physical** understanding are **non-Gaussian**.

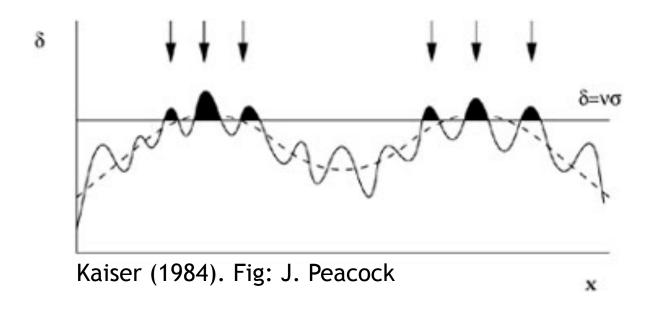
Higher-order correlations can encode much information.

Primordial non-Gaussianity (PNG)

- •Gaussian fluctuations: described by a simple sum of Fourier modes with random phases.
- •Gaussian fluctuations fully described 2-pt correlation.
- •NG is measured using higher order correlations (e.g. 3-pt function).
- •A detection of $f_{NL} >> 1$ will immediately rule out the "textbook" picture of inflation.



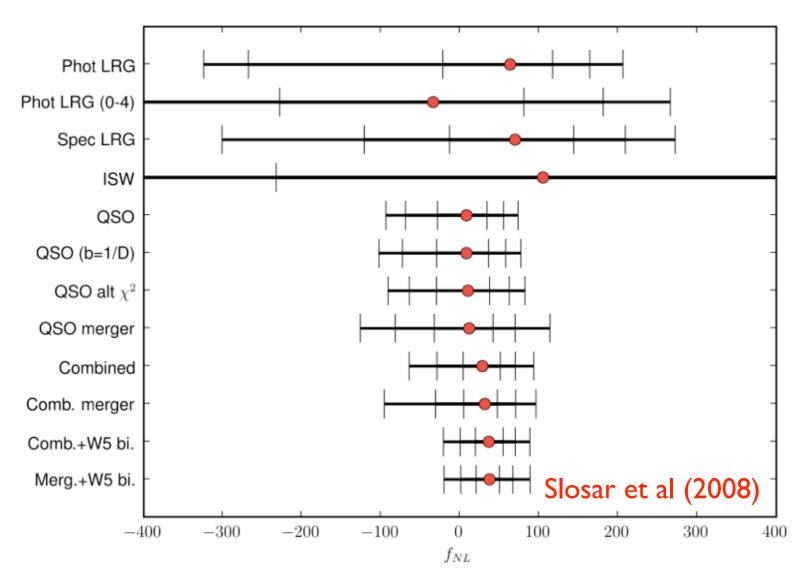
Effect of PNG on large scale structure



- •**High-peak bias**: rare high-density fluctuation in large scale overdensity collapses sooner.
- •Enhanced abundance of massive objects in overdense regions leads to enhanced clustering.
- Effect modified in NG case to lead to a scale dependent bias at large scales.

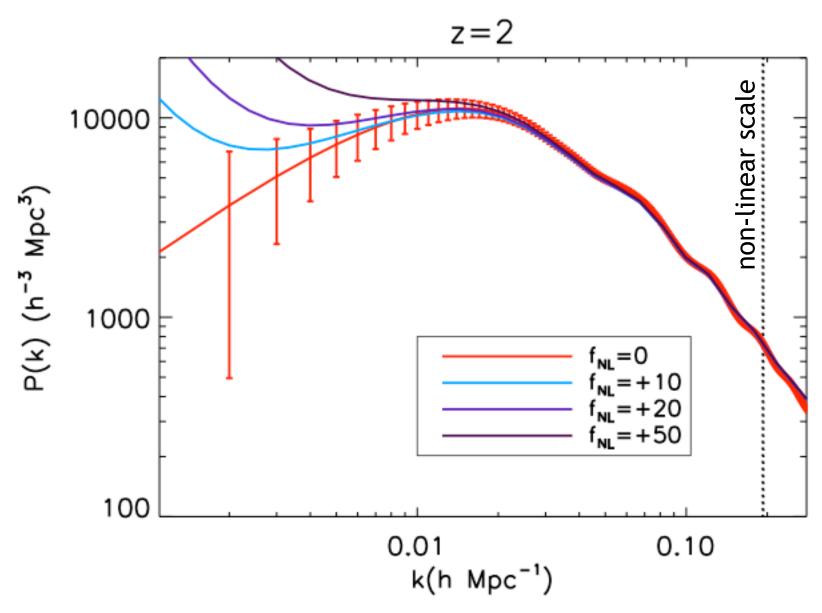
PNG from large scale LSS angular power spectrum

"Local" PNG $\Phi(\mathbf{x}) = \phi(\mathbf{x}) + f_{\rm NL}^{\rm loc}\phi^2(\mathbf{x})$ imprints halo bias $\Delta b \propto k^{-2}$



scale-dependent halo bias (Dalal et al 2008)

Effect on the halo power spectrum



Power spectra at z=2 for a spectroscopic survey

Figure: HSLS white paper, HVP CMB/LSS Coordinator

The potential of quasar surveys for PNG

Data used

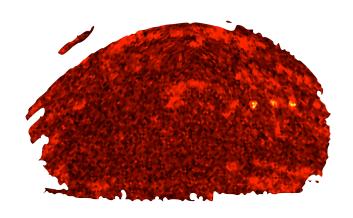
•Quasars: highly-biased LSS tracers, spanning large cosmological volumes

Giannantonio et al (2013) LRG-CMB NVSS-CMB LRG-NVSS priors NVSS-HEAO NVSS-QSO LRG-LRG priors NVSS-NVSS QS0-QS0 Conservative combined Fair Naive -200-100100 200 300 f_{NL}

$$\Delta b(k,z) = f_{\rm NL}(b_g - 1) \frac{3\Omega_{\rm m} h_0^2 \delta_c}{D(z) T(k) k^2}$$

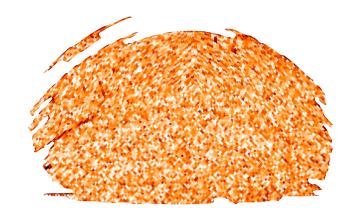
Photometric quasars

Spectroscopic catalogues are small, incomplete



~ 3 QSOs / deg²

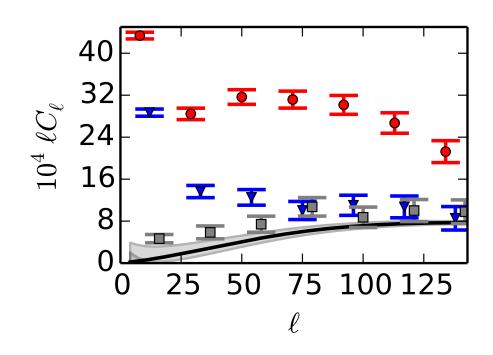
z_s < 2.2 Spec QSOs from SDSS-DR7



~ 15 QSOs / deg²

 z_p < 2.2 UVX Photo QSOs from RQCat (SDSS-DR6)

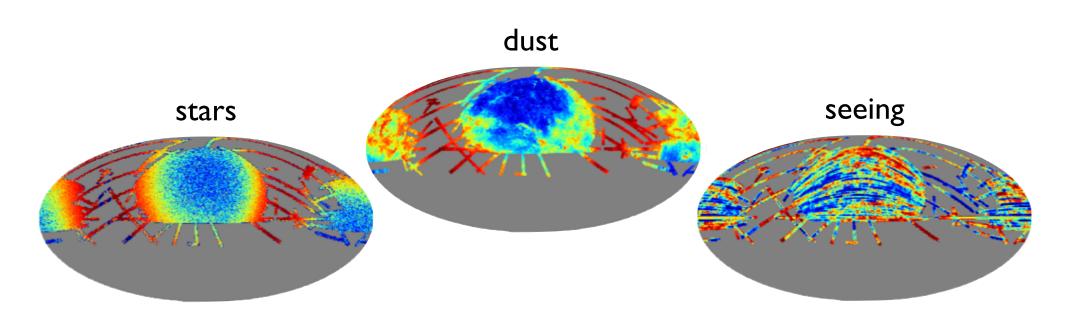
Systematics in quasar surveys

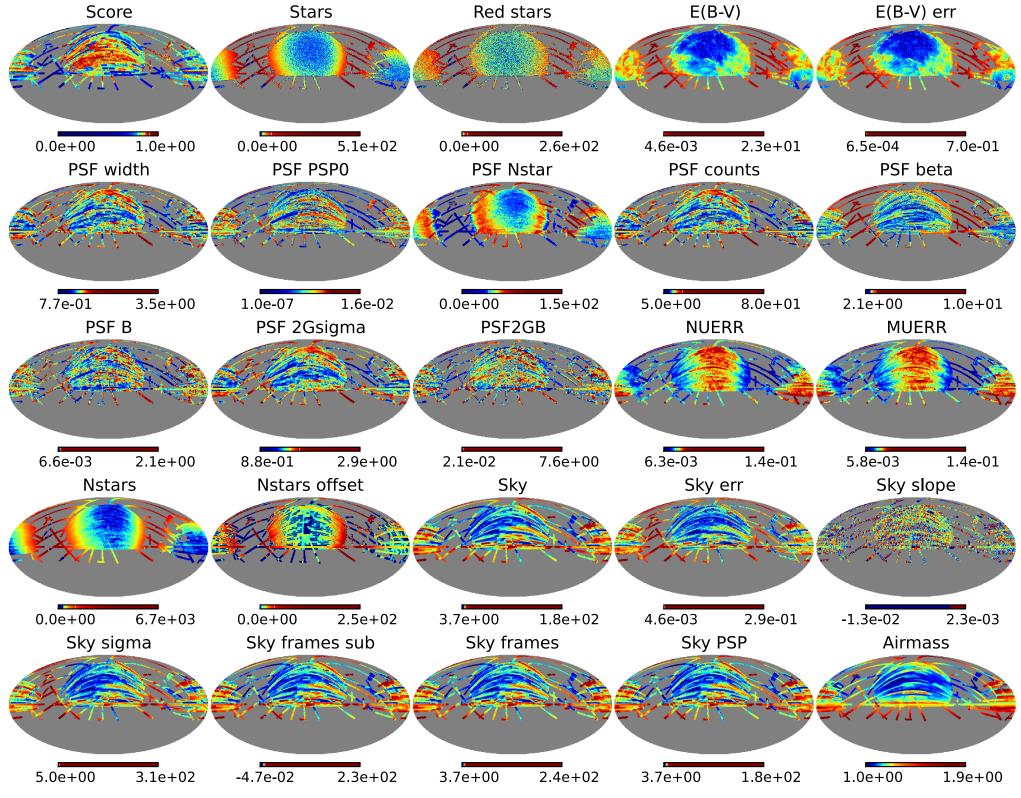


- SDSS photometric quasars: excess clustering power on large scales due to systematics.
- Concerns about its use for clustering studies. Pullen and Hirata 2012;
 Giannantonio et al. 2013

Systematics in quasar surveys

- Anything that affects point sources or colours seeing, sky brightness, stellar contamination, dust obscuration, calibration etc..
- Create spatially varying depth & stellar contamination

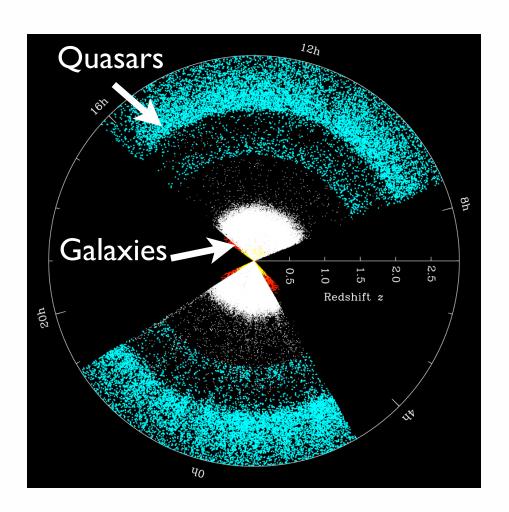




PNG from blind mitigation of systematics

RQCat: UVX sources from Richards et al (2008) catalogue.

XDQSOz: 1.6 million QSO candidates from SDSS DR8 spanning z ~ 0.5-3.5 (800,000 QSOs after basic masking).



Estimating angular power spectra

- Power spectra must be estimated from cut-sky data
- Critical on large-scales due to the cut-induced variance



The QML and PCL estimators

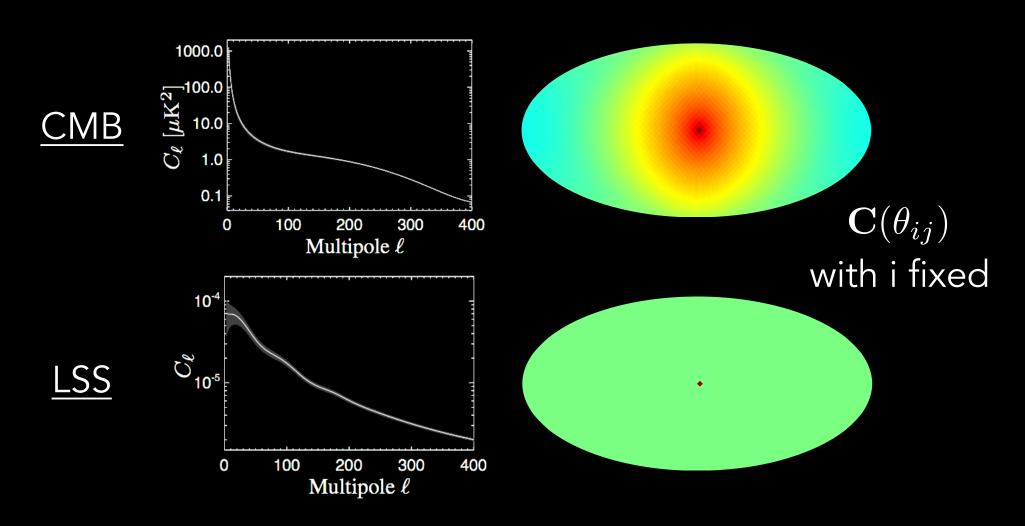
Quadratic Maximum Likelihood (QML): optimal, requires a model of the pixel-pixel covariance matrix:

$$\mathbf{C}(\theta_{ij}) = \langle x_i x_j \rangle = \sum_{\ell} \left(\frac{2\ell+1}{4\pi} \right) \, \mathcal{C}_{\ell} \, P_{\ell}(\cos\theta_{ij}) + \mathbf{N}_{ij}$$

$$\uparrow \qquad \qquad \uparrow$$
Covariance Theory Noise, systematics, ...

Pseudo-spectrum estimator (PCL) = QML with diagonal pixel-pixel covariance, i.e. a flat power spectrum (= uncorrelated pixels)

PCL or QML? CMB vs LSS correlations

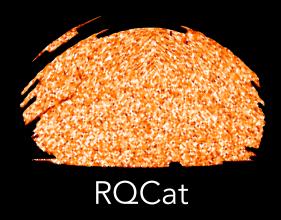


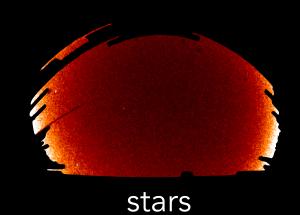
The LSS spectrum is quasi flat => PCL is nearly optimal in the absence of systematics...

Systematics and mode projection

- PCL suboptimal with complex masks and systematics
- ullet QML with mode projection: marginalises over linear contamination models, using systematics templates $ec{c}_k$

$$\mathbf{C} = \sum_{\ell} \mathcal{C}_{\ell} \mathbf{P}_{\ell} + \mathbf{N} + \sum_{k \in \text{sys}} \xi_{k} \vec{c}_{k} \vec{c}_{k}^{t} \quad \text{with} \quad \xi_{k} \to \infty$$



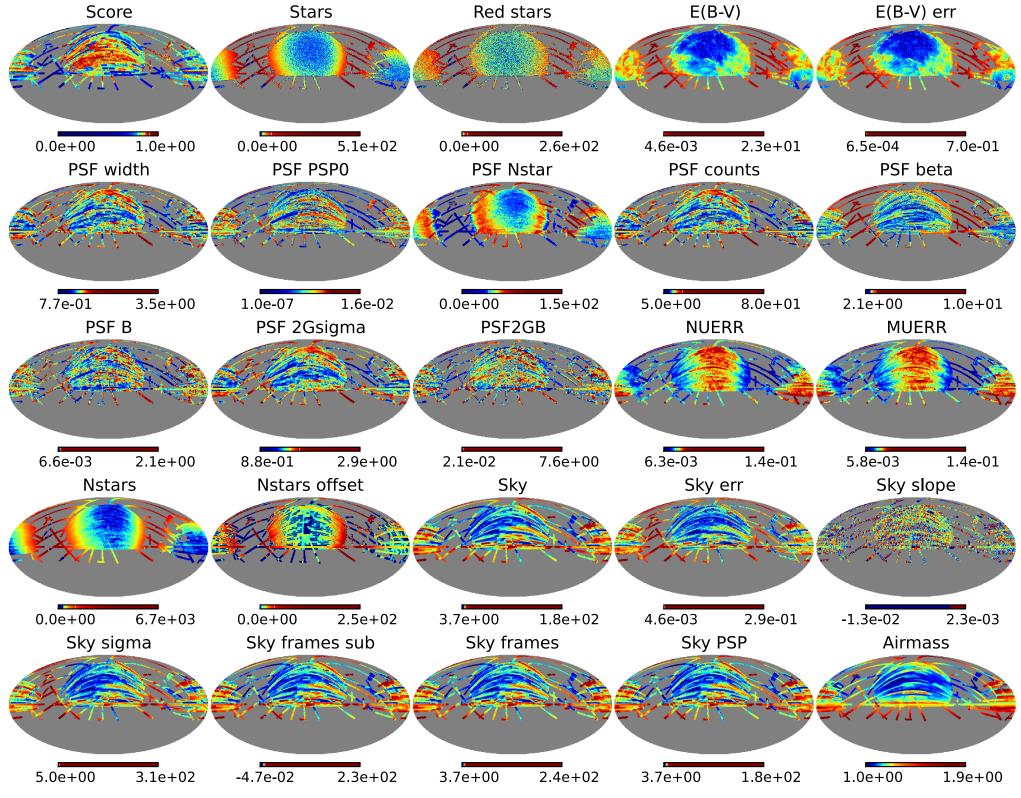




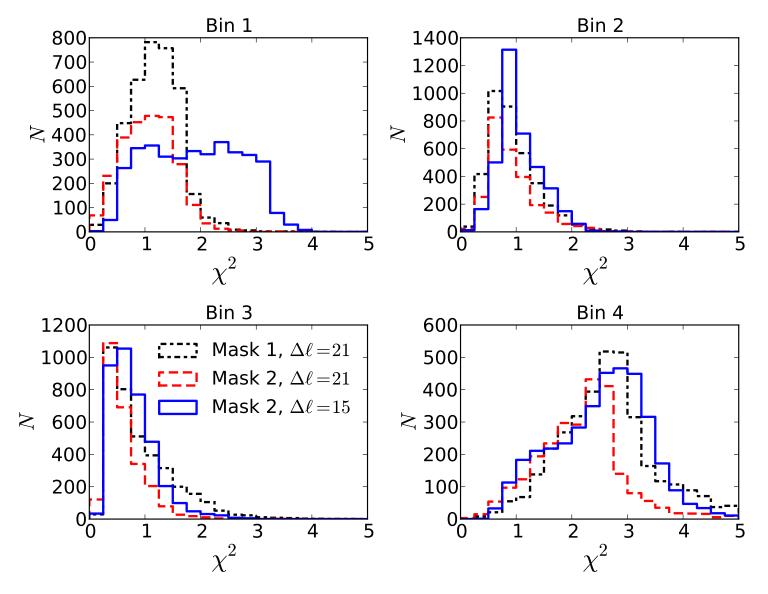
Extended mode projection

- Create set of input systematics
 220 templates + pairs ⇒ >20,000 templates
- Decorrelate systematics
 20,000 templates ⇒ 3,700 uncorrelated modes
- Ignore modes most correlated with data
 3,700 null tests; project out modes with red chi2>1

Sacrificing some signal in favour of robustness ⇒ Blind mitigation of systematics



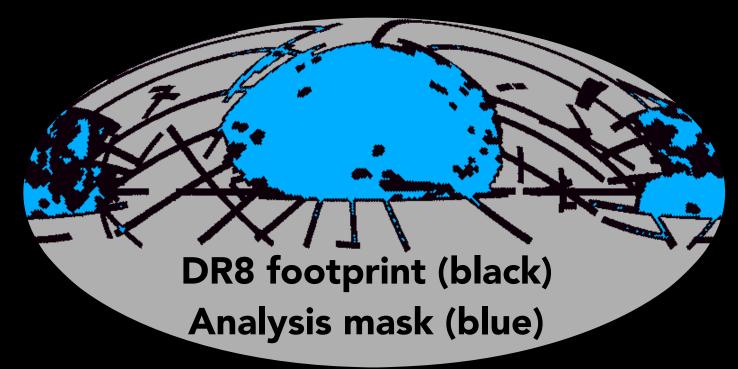
Null tests

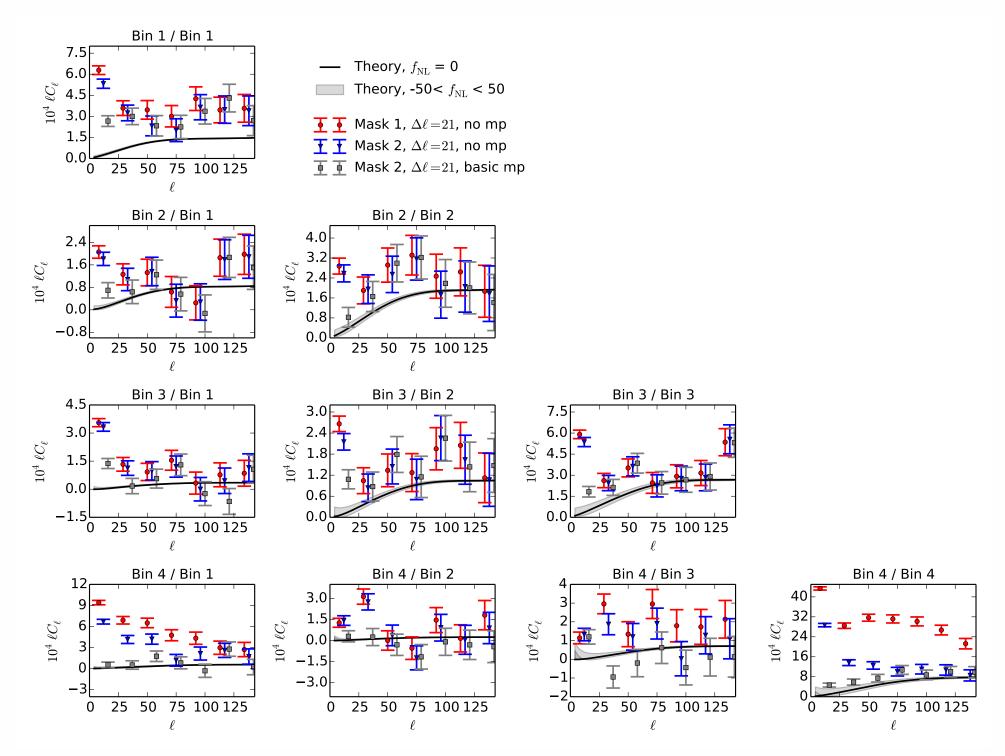


Red. chisq. from cross-power spectra with 4 redshift samples
 3,700 null tests; project out modes with red chi2>1

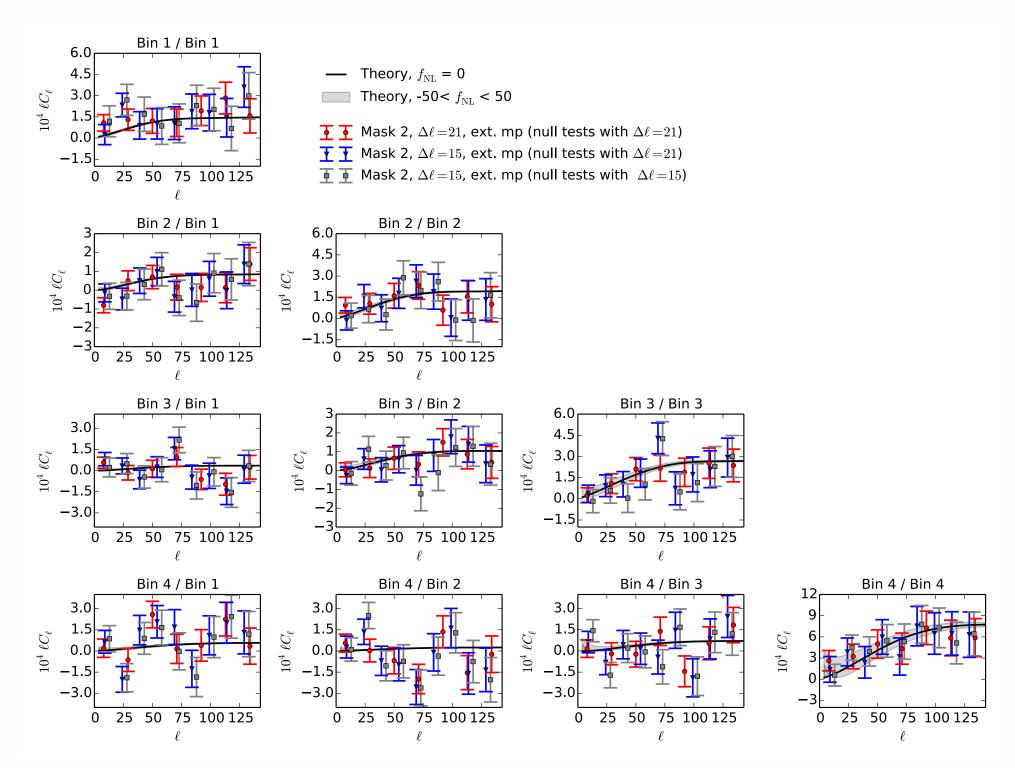
Angular power spectrum estimation

- Sky masks: cuts on extinction, seeing & quality flags
- Maximum Likelihood estimator to simultaneously compute 10 auto + cross angular power spectra



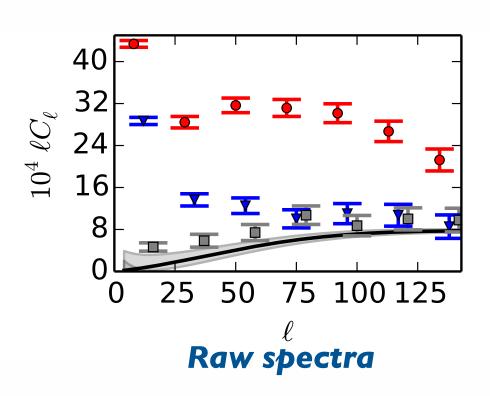


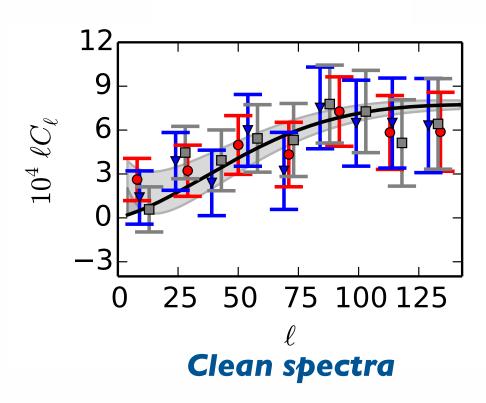
Leistedt & Peiris+ (MNRAS 2013, 1404.6530), Leistedt, Peiris & Roth (1405.4315)



Leistedt & Peiris+ (MNRAS 2013, 1404.6530), Leistedt, Peiris & Roth (1405.4315)

Blind mitigation of systematics





- Example: one of 10 spectra (auto + cross in four z-bins) in likelihood
- Grey bands: $-50 < f_{NL} < 50$; colours: basic masking + m.p.

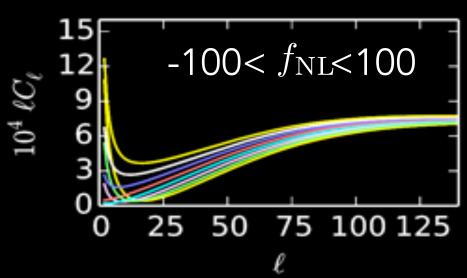
Leistedt & Peiris+ (MNRAS 2013, 1404.6530), Leistedt, Peiris & Roth (1405.4315)

Theory

Ingredients for computing theory power spectra:

- lacktriangle Cosmological parameters (LCDM + $f_{
 m NL}$)
- Redshift distribution, shot noise, nb count slope

• Quasar bias model:
$$b(z) = b_0 \left| 1 + \left(\frac{1+z}{\alpha} \right)^{\beta} \right|$$



PNG: enhances large scale quasar bias

Used **emcee** (Foreman-Mackey et at 2013) + **CAMB_sources** (Challinor & Lewis 2011)

Computing theory spectra

Line of sight integral:
$$C_\ell = \frac{2}{\pi} \int dk k^2 P(k) [W_\ell(k)]^2$$
 with kernel $W_\ell(k) = \int dz \, [b_g n(z) + 2(2.5s-1)f(z)] \, D(z) j_\ell(kr)$, Linear bias and Magnification redshift distribution effects

 $s = \frac{d \log N(m)}{dm}$

Spectroscopic vs photometric samples

Photometric catalogues: redshift estimation

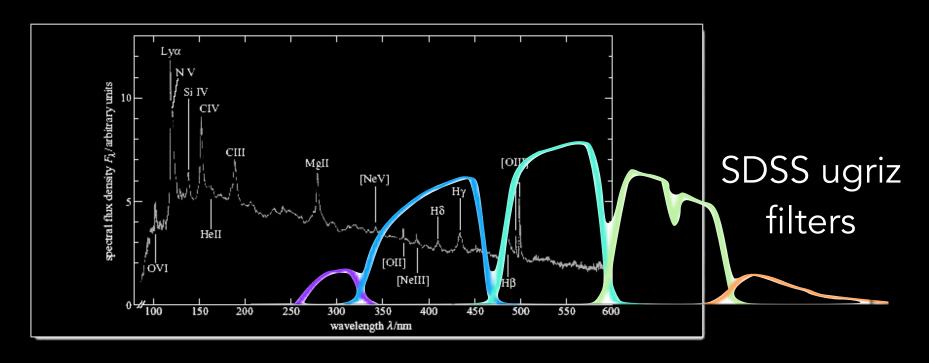
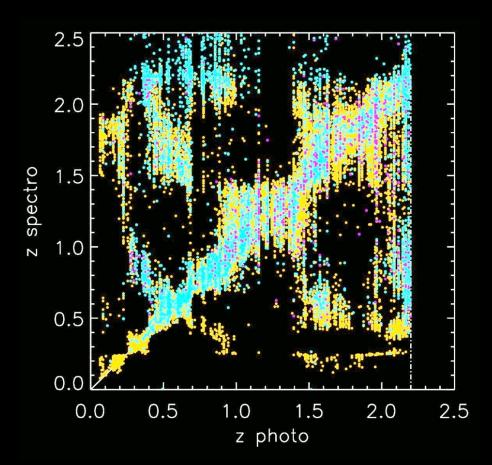


Figure 16: The mean optical spectrum of a sample of more than 700 quasars. The individual spectra were all corrected to remove the effect of red-shift before the spectra were averaged. Note the broad emission lines

An Introduction to Active Galactic Nuclei, Cambridge University Press

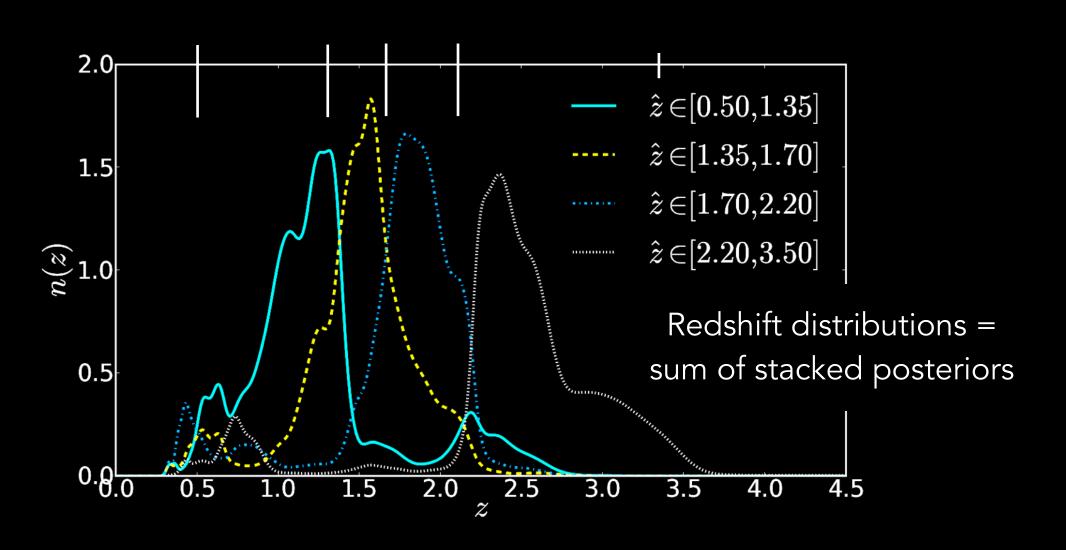
Photometric redshift estimates



Cross-matching RQCat with SDSS-DR7, BOSS, and 2SLAQ

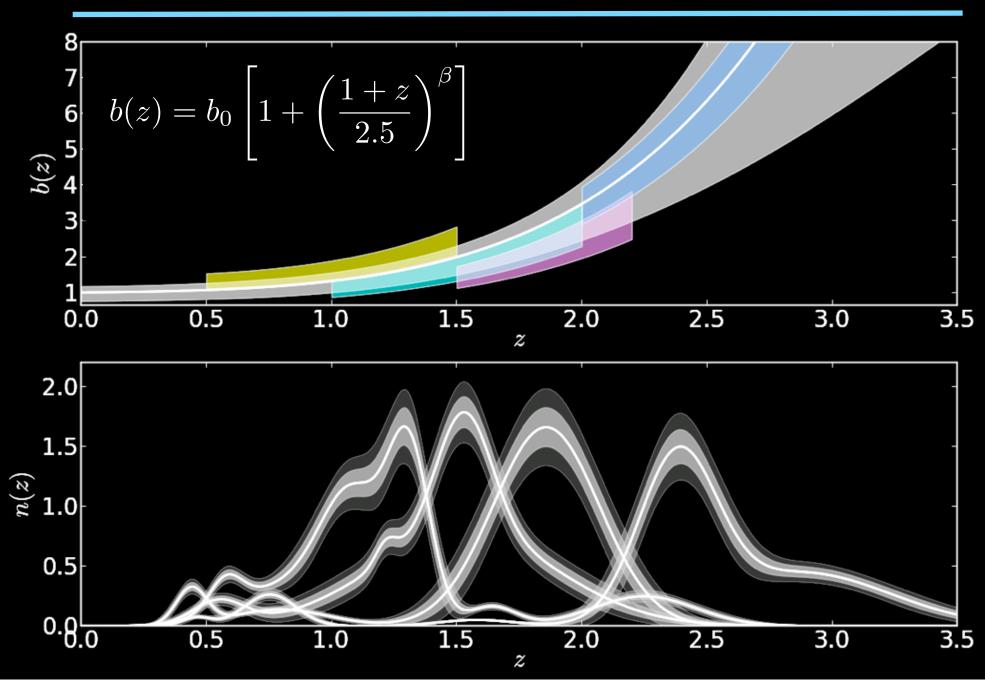
- Quasar photo-z have large fraction of outliers
- Redshift distributions poorly known
- Impacts robustness of theory power spectra

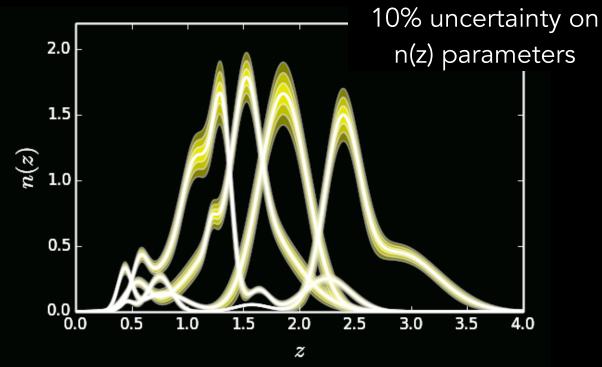
Analysis of XDQSOz quasars



arXiv: 1404:6530

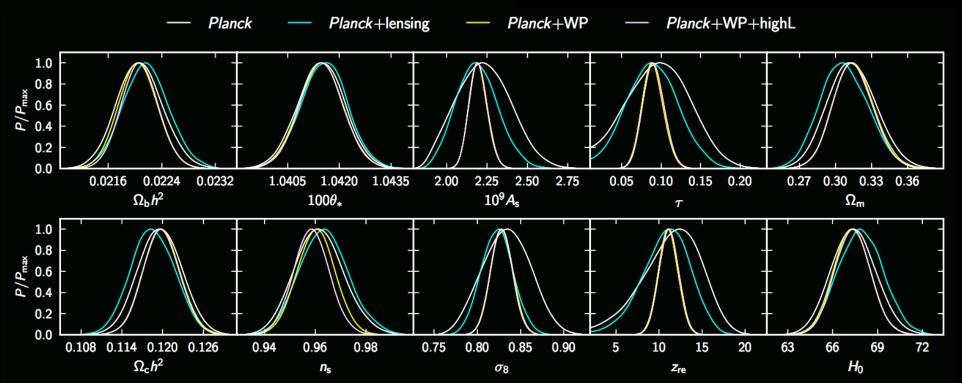
Constraints on the quasar bias



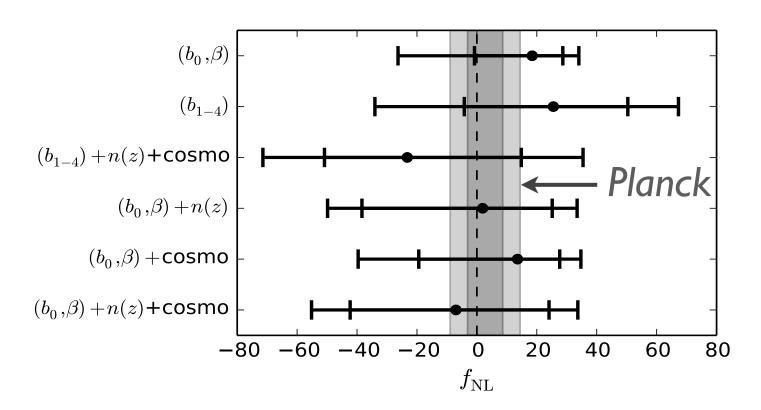


Varying n(z)

- + cosmology
- + bias model



Constraints on f_{NL}



$$-16 < f_{\rm NL} < 47 \ (2\sigma)$$

$$-49 < f_{\rm NL} < 31 \ (2\sigma)$$

Fixed cosmology & n(z)

Varying all parameters

- Comparable to WMAP9 from single LSS tracer(!)
- Robust to modelling & priors

Leistedt, Peiris & Roth (1405.4315)

Higher order terms

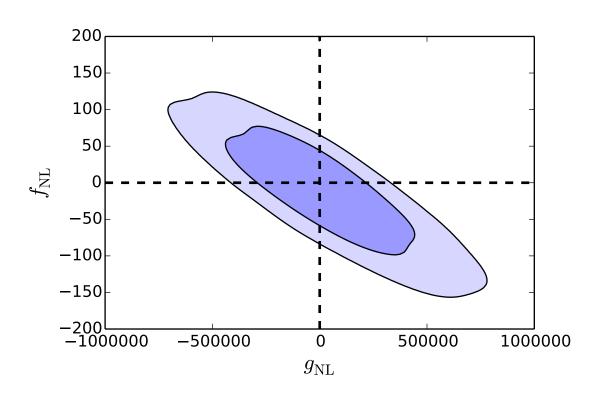
$$\Phi = \phi + f_{\rm NL}[\phi^2 - \langle \phi^2 \rangle] + g_{\rm NL}[\phi^3 - 3\phi \langle \phi^2 \rangle]$$

$$|g_{\rm NL}| < 10^6 \, ({\rm CMB, LSS})$$

Degeneracy between f_{NL} and g_{NL} (Roth & Porciani 2012)

$$\Delta b \sim \frac{f_{\rm NL} \, \beta_f(M,z) + g_{\rm NL} \, \beta_g(M,z)}{k^2 \, D(z)} \to k^{-2}$$

Constraints on g_{NL}

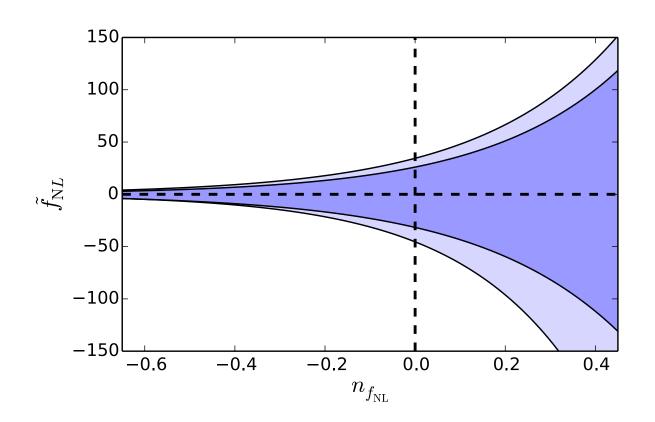


$$-2.7 < g_{
m NL}/10^5 < 1.9~(2\sigma)$$
 $-4.0 < g_{
m NL}/10^5 < 4.9~(2\sigma)$ individually joint with f_{NL}

Best available constraint on g_{NL}

Leistedt, Peiris & Roth (1405.4315)

Extended model with running



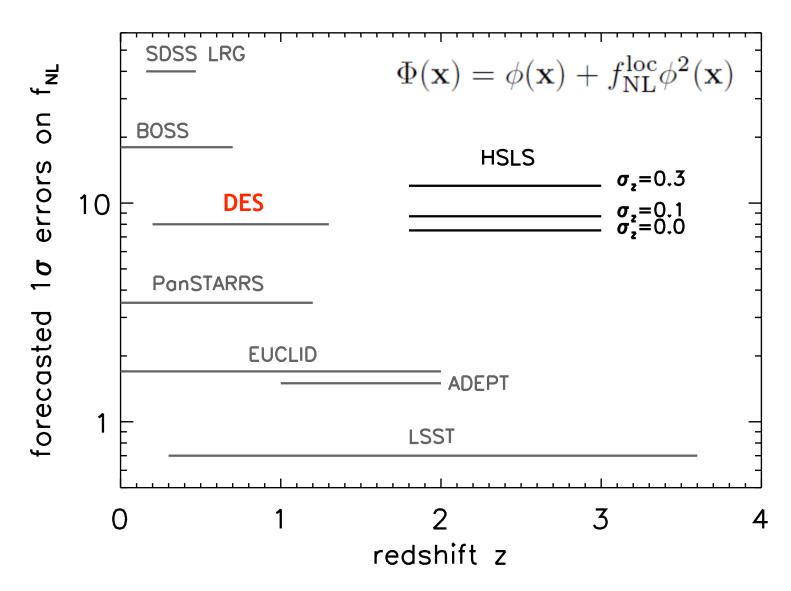
$$b(k) \propto k^{-2+n_{f_{\rm NL}}}$$

Constrains single field inflation with a modified initial state, or models with several light fields.

Leistedt, Peiris & Roth (1405.4315)

Agullo and Shandera (2012), Dias, Ribero and Seery (2013)

LSS forecast for "local" shape



Constraints on f_{NL} assuming Planck priors on the cosmological parameters

Figure: HSLS white paper, HVP CMB/LSS Coordinator

